FUSSCYIER: MAMMOGRAM IMAGES CLASSIFICATION BASED ON SIMILARITY MEASURE FUZZY SOFT SET

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ABSTRACT. Automatic digital mammograms reading become highly enviable, as the number of mammograms to be examined by physician increases enormously. It is premised that the computer aided diagnosis system is mandatory to assist physicians/radiologists to achieve high efficiency and productivity. To handle uncertainties of medical images, fuzzy soft set theory has been merely scrutinized, even though the choice of convenient parameterization makes fuzzy soft set suitable and feasible for decision making applications. Therefore, this study investigates the practicability of fuzzy soft set for classification of digital mammogram images to increase the classification accuracy while lower the classifier complexity. The proposed method FussCyier involves three phases namely: pre-processing, training and testing. Results of the research indicated that proposed method gives high classification performance with wavelet de-noise filter Sym8 with the accuracy 75.64%, recall 84.67% and CPU time 0.0026 seconds.

Keywords: mammogram images, computer aided diagnosis system, fuzzy soft set

COMPUTER AIDED DIAGNOSIS SYSTEM: AN OVERVIEW

Computer aided diagnosis system (CAD) simply represents an important application with the ability to recognize image processing that can assist medical practitioners in enhancing diagnostic decisions (Sharma & Khanna, 2015). In general, CAD system comprises of a set of pattern recognition algorithms, primarily to assist radiologists in detecting potentially diseased lesions. The introduction of CAD as a diagnostic technology became imperative to rectify the problem; it also ensures preciseness in the interpretation of clinical images. The momentum of the CAD market was highly pronounced since 1998, when R2 Technology established the first CAD license from the U.S. FDA for industrial application named Image Checker (Tang et al., 2009).

In the realm of breast cancer detection, digital mammography is a standard tool for the early detection of breast cancer and it is still widely used all over the world. The process is easy and has a few side effects (Lee & Chen, 2015). In general, it depends on the correct interpretation of mammograms by a radiologist. Because of the subtlety and variation of the breast, errors can be common. However, because of the limitations of the human visual system, it is complicated for radiologists to present equally precise and reliable evaluation of mammogram images (Al-Najdawi et al., 2015). Thus, automatic digital mammograms reading become highly enviable and the computer aided diagnosis systems becomes a key requirement to assist the physicians/radiologists to attain high productivity and effectiveness (Otoom et al.,

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2015). Therefore, the nature of mammogram images which inherit uncertainty leads to move towards soft set theory which can handle uncertainties that occur in real world problems. Thus, automatic digital mammograms reading turn out to be extremely enviable, thus, computer aided diagnosis (CAD) systems are required to assist the physicians/radiologists in detecting subtle lesions and reducing the probability of the risk of failure in distinguishing abnormalities (Fenton et al., 2013). In other words, CAD in screening mammographic images is considered as an immediate available opinion for radiologists in identifying high suspicious regions of malignancy (Howell et al., 2014).

SIMILARITY MEASURE FUZZY SOFT SET

Fuzzy set was initiated by Zadeh to permit elements to belong to a set in a gradual rather than an immediate way (Zadeh, 1965). Subsequently, growth of several data mining applications is based on this simple concept and nowadays, it is basically impossible to encounter any problem where applications and products are not based on fuzzy sets. Besides, to measure similarity among two objects is a basic phase for several data mining tasks for instance classification and clustering. Similarity measure enumerate the diverse patterns, signals, images or sets are alike at what extend (Handaga et al., 2012). Baccour et al., (2014) present properties of fuzzy similarities from the literature and discuss their validation to the common existing properties.

Similarity measure between fuzzy sets is plenteous, it is premised that numerical evaluations between fuzzy similarities measure (FSMs) are important to show experimental differences between them (Lashari et al., 2015). Hence, studies on the similarity measure between fuzzy soft sets are scarce in the literature, despite the increasing volume of mammogram images classification. Lately, fuzzy set theory brings methods to handle uncertainty, such as Mushrif et al., (2006) offered a method for natural textures classification based on soft set theory. All extracted features were real numbers. The proposed method successfully classified natural textures. The proposed algorithm had very low computational complexity when compared with Bayes classification technique. Handaga et al., (2012) presented a method based on similarity measure between two fuzzy soft sets which deals with real numbers. The proposed method did modification in the classification phase and replace the classification function with similarity measuring function between two fuzzy soft sets to increased classification accuracy. Yet, the proposed method had high algorithm complexity (Lashari et al., 2016). Below is the example to illustrate the proposed method, how it works with real numbers.

Example: Consider the following example, where \( U = \{x_1, x_2, x_3, x_4\} \) and \( E = \{e_1, e_2, e_3\} \). Let two generalized fuzzy soft set over the parameterized universe \((U,E)\)

\[
F_p = \begin{bmatrix}
0.2 & 0.5 & 0.9 & 0.1 & 0.6 \\
0.1 & 0.2 & 0.6 & 0.5 & 0.8 \\
0.2 & 0.4 & 0.7 & 0.9 & 0.4 \\
\end{bmatrix}
\]

and

\[
G_\delta = \begin{bmatrix}
0.4 & 0.3 & 0.2 & 0.9 & 0.5 \\
0.5 & 0.5 & 0.2 & 0.1 & 0.7 \\
0.4 & 0.4 & 0.2 & 0.1 & 0.9 \\
\end{bmatrix}
\]

Here

\[
m(\rho, \delta) = 1 - \sum |\rho_i - \delta_i|
\]
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\[ m(\rho, \delta) = 1 - 0.1 + 0.1 + 0.5 \]
\[ m(\rho, \delta) = 0.3 \]

\[ S(F, G) = \frac{1}{n} \sum_{i=1}^{n} \left( 1 - \left| \mu_{F}^{i} - \mu_{G}^{i} \right| \right) \]

\[ m_{1}(F, G) = \frac{1}{4} \left( (1 - |0.2 - 0.4|) + (1 - |0.5 - 0.3|) + (1 - |0.9 - 0.2|) + (1 - |1 - 0.9|) \right) \]
\[ m_{1}(F, G) = \frac{1}{4} (8 + 8 + 3 + 7 + 1) \]
\[ m_{1}(F, G) = \frac{27}{4} = 0.675 \]

\[ m_{2}(F, G) = \frac{1}{4} \left( (1 - |0.1 - 0.5|) + (1 - |0.2 - 0.5|) + (1 - |0.6 - 0.2|) + (1 - |0.5 - 0.1|) \right) \]
\[ m_{2}(F, G) = \frac{1}{4} (6 + 7 + 6 + 1) \]
\[ m_{2}(F, G) = \frac{2}{4} = 0.5 \]

\[ m_{3}(F, G) = \frac{1}{4} \left( (1 - |0.2 - 0.4|) + (1 - |0.4 - 0.4|) + (1 - |0.7 - 0.2|) + (1 - |0.9 - 0.1|) \right) \]
\[ m_{3}(F, G) = \frac{1}{4} (8 + 1 + 5 + 2) \]

\[ c \]

\[ M_{1}(F, G) \cong 0.675; M_{2}(F, G) \cong 0.5; M_{3}(F, G) \cong 0.625. \text{ Thus max } [M_{i}(F, G)] \cong 0.675 \]

Hence the similarity between the two GFSS Fr and Gô will be \( S(F_{\rho}, G_{\sigma}) = M_{i}(F, G) \times m(\rho, \sigma) = 0.675 \times 0.3 = 0.20 \) for universal fuzzy soft set where \( \rho = \sigma = 1 \) and \( m(\rho, \sigma) = 1 \), then similarity \( S(F_{\rho}, G_{\sigma}) = 0.675 \).

**PROPOSED METHOD**

This section illustrates the proposed method FussCyier which consists of three phases, preprocessing, training and testing phase as shown in Figure 1. Each phase contains its different steps and delivers useful results to be used in the next phase. Dataset was obtained from the Mammographic Image Analysis Society (MIAS) (Suckling et al., 1994). There are hundred and twelve images (63 benign images and 51 malignant images). The wavelet de-noising filter with hard and soft threshold functions have been applied for de-noising images to get better image quality. Later, six statistical features were extracted from region of interest (ROI) of the mammogram images (Lashari et al., 2016). Afterwards, each dataset divided into two parts: 70% for training and 30% for testing and data were selected randomly for every experiment.
Pre-Processing phase
1. De-noised images using wavelet hard and soft threshold functions
2. Feature normalization to obtain a feature vector

Training phase
1. Given \( N \) samples from the data \( \mathbf{w} \)
2. Calculate the cluster center vector \( \mathbf{E}_w \) \( i = 1, 2, \ldots, N \) using equation below
   \[
   \mathbf{E}_w = \frac{1}{N} \sum_{i=1}^{N} \mathbf{w}
   \]  
3. Obtain Fuzzy soft set model (\( \mathbf{F}_w, \mathbf{E} \)), is a cluster center vector for each class \( w \) having \( D \) features
4. Repeat the steps 2 and 3 for all \( W \) classes

Testing phase
1. Obtain the unknown class data
2. Attain a fuzzy soft set model for unidentified class data \( (\mathcal{G}, \mathcal{E}) \) compute similarity measure based on distance between \( (\mathcal{G}, \mathcal{E}) \) and \( ((\mathbf{F}_w, \mathbf{E})) \) for each \( w \)
   \[
   S(\mathcal{F}, \mathcal{G}) = \frac{1}{n_{1, m_{1}}} \sum_{i=1}^{m_{1}} \left( 1 - \left| \mu_{\mathcal{F}_w} - \mu_{\mathcal{G}} \right| \right)
   \]  
3. Allocate the unknown data to class \( w \) if distance measure is maximum
   \[
   \hat{w} = \arg\max_{w=1}^{W} S(\mathcal{G}, \mathbf{F}_w)
   \]

Figure 1: Proposed method for mammogram images classification

Table 1 demonstrates wavelet de-noising filter Daub3 (Level 1) gives classification accuracy 75.64\% (hard threshold), recall 84.67\% with CPU time 0.0032 seconds whereas, wavelet de-noising Sym8 (Level 1) carried out accuracy 75.64\% (soft threshold), recall 84.67\% with CPU time 0.0026 seconds.

Table 1: Performance Analysis of FussCyier

<table>
<thead>
<tr>
<th>Wavelet de-noising filters with decomposition levels</th>
<th>Accuracy (%)</th>
<th>Recall</th>
<th>CPU Time</th>
</tr>
</thead>
<tbody>
<tr>
<td>Daub3 (Level 1) Hard threshold</td>
<td>75.64</td>
<td>84.67</td>
<td>0.0032</td>
</tr>
<tr>
<td>Soft threshold</td>
<td>74.17</td>
<td>86.67</td>
<td>0.0033</td>
</tr>
<tr>
<td>Daub3 (Level 4) Hard threshold</td>
<td>65.61</td>
<td>77.33</td>
<td>0.0030</td>
</tr>
<tr>
<td>Soft threshold</td>
<td>73.70</td>
<td>82.67</td>
<td>0.0027</td>
</tr>
<tr>
<td>Daub3 (Level 8) Hard threshold</td>
<td>71.87</td>
<td>76.00</td>
<td>0.0028</td>
</tr>
<tr>
<td>Soft threshold</td>
<td>74.08</td>
<td>82.00</td>
<td>0.0029</td>
</tr>
<tr>
<td>Sym8 (Level 1) Hard threshold</td>
<td>75.64</td>
<td>84.67</td>
<td>0.0026</td>
</tr>
<tr>
<td>Soft threshold</td>
<td>74.04</td>
<td>85.33</td>
<td>0.0032</td>
</tr>
<tr>
<td>Sym8 (Level 4) Hard threshold</td>
<td>75.64</td>
<td>84.67</td>
<td>0.0026</td>
</tr>
<tr>
<td>Soft threshold</td>
<td>74.19</td>
<td>84.00</td>
<td>0.0031</td>
</tr>
<tr>
<td>Sym8 (Level 8) Hard threshold</td>
<td>68.20</td>
<td>73.33</td>
<td>0.0028</td>
</tr>
<tr>
<td>Soft threshold</td>
<td>70.49</td>
<td>80.00</td>
<td>0.0028</td>
</tr>
</tbody>
</table>

Results of the experimental setups indicate that soft threshold delivers better classification rate than hard threshold. Soft thresholding provides visually pleasing image and decreases the unforeseen sharp variations which arises in hard thresholding. Henceforth, soft thresholding is
preferred over hard thresholding (Lashari et al., 2016). To appraise and validate the performance of FussCyier, with existing state of the art classifiers namely, neural network (NN) and Bayesian. FussCyier provides accuracy 75.64% (with de-noise filter) and accuracy 66.49% (without de-noise filter) which is comparatively better than other reported techniques such as NN where accuracy 56.3% (with de-noise filter) and accuracy 63.6% (without de-noise filter) and whereas Bayesian offered classification accuracy 57.5% (with de-noise filter) and classification accuracy 63.1% (without de-noise filter) (Naveed et al., 2012).

CONCLUSION

In the presented work, the problem of mammogram images classification has been thoroughly investigated. The concept of distance similarity measure fuzzy soft set theory for mammogram images FussCyier is introduced. Different experiments were carried out to evaluate the performance of the FussCyier, the acquired result illustrates that the FussCyier performs relatively better than existing classifiers, thus providing a rather new picture of mammogram images classification. So far, contemporary studies support and concur as a matter of fact that CAD technology has a great positive impact on early breast cancer detection and as well also improved the performance of radiologists to reduce variation within radiologists. The goal of this research was to show the feasibility of fuzzy soft set to classify mammogram images. This could be the first step towards developing a classification system for detection of tumour in mammogram images. However, many interesting scopes and topics are left behind. These could form the basis for researcher to study those scopes and topics further, which may pose unseen challenges.

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